

Hybrid regime of stabilization in exciton-polariton condensates

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Exciton-polariton condensates modeled with open-dissipative Gross-Pitaevskii and exciton reservoir density equations are characterized by strong instability, especially for short living polariton particles. We inspect the influence of the energy relaxation β on the stability in such systems[1]:

$$i\hbar \frac{\partial \psi(\mathbf{r}, t)}{\partial t} = \left[-(1 - i\beta) \frac{\hbar^2}{2m^*} \Delta + \frac{i\hbar}{2} (Rn_R(\mathbf{r}, t) - \gamma_C) + g_C |\psi(\mathbf{r}, t)|^2 + g_R n_R \right] \psi(\mathbf{r}, t),$$

$$\frac{\partial n_R(\mathbf{r}, t)}{\partial t} = P(\mathbf{r}, t) - (\gamma_R + R|\psi(\mathbf{r}, t)|^2) n_R(\mathbf{r}, t).$$

Including the mechanism of relaxation is necessary since in many experiments there are no observations of instabilities in contrast to the theoretical predictions.

Using the Bogoliubov-de Gennes method, we derive the condition for the stability in the case of uniform pumping that depends on the relaxation parameter β . The analytical results that agree with numerical simulations are shown in Fig. 1. For sufficiently large β factor it is possible to achieve stabilization in entire parameter space, where γ_C^{-1} , γ_R^{-1} are the polaritons and reservoir excitons lifetimes, respectively and P/P_{th} is the ratio of the pumping rate to the threshold value when condensation occurs.

Moreover, we analyze the behavior of the condensate in the case of perturbation by a short optical pulse under stationary uniform pumping. Despite being in the stable regime according to the Bogoliubov analysis, the condensate reveals intermittent instabilities in the case of a strong perturbation. Surprisingly, this hybrid regime occurs only for non-zero energy relaxation parameter values. Examples of the condensate evolutions in the cases where relaxation is absent or present are shown in Fig. 2.

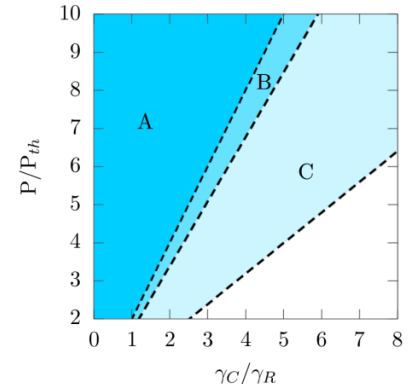


Fig. 1: Diagram of stability for different values of energy relaxation factor β . Stable regimes are marked with colors, where A: $\beta=0$, B: $\beta=0.4$, C: $\beta=1.6$

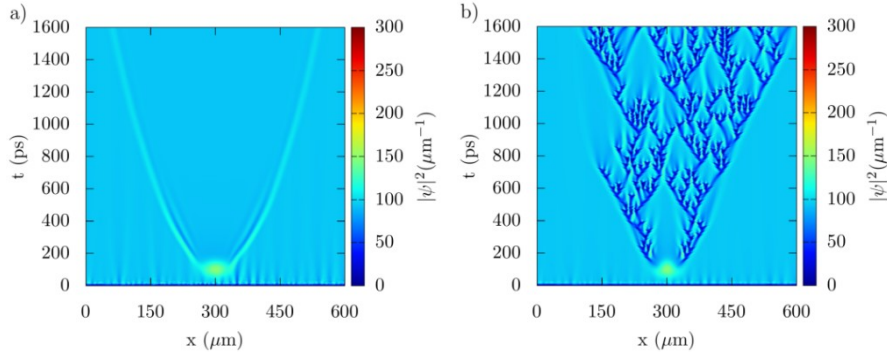


Fig. 2: The evolution resulting from a strong pulsed perturbation in a stable regime. (a) relaxation factor $\beta = 0$: the condensate proceeds to a stationary state. (b) $\beta = 0.4$: while the steady state is stable, perturbed condensate ends up in a spatiotemporal intermittent regime [2].

References

- [1] N. Bobrovska, E. A. Ostrovskaya, and M. Matuszewski, *Phys. Rev. B.* **90**, 205304 (2014).
- [2] M. van Hecke, *Phys. Rev. Lett.* **80**, 1896 (1998).